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H. El-Dosouki Electrical Engineering Department., Faculty of Engineering., Tanta University., Tanta., Egypt.

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RELIABILITY CALCULATION FOR GENERATION -INTERCONNECTED POWER SYSTEMS

H. El-Dosouki.

Faculty of Engineering - Tanta University

" حساب مؤشرات الأعتمادية لنظم القوى السترابطة التوليد"

منخص النحث.

بذا النظام يقدم طريقه مقترحة فحسب موتسرات الاعتماعية لنظم تقمري المترابطة. و الطريقة العقبرحة تعنت على فكس اصافه السبارات المتراللة و اللغان الطاقة و العالة المحلمة للبطنو.

ار تأخذ الدراسة في الاعتبار بيانات الاعتمادية لعناصر مظام القوى وقيود التسعيل واكتلك لاشكان المدعدة للنظم والهريفة التراسية، « تترضيح الطريفة المعارجة فنذ تتر تطبيب على ثلاثة السكال مقتلقة لنظام قوى مترامط

ار النظام المقترح يتكون من حضوات عامه هي : تكوين بيانيات الاعتمادية العثامان المثلقة المكونة للمثلم لم حسب موسوب الاعتبادية لكن لظام على هذه واكنك المسارات معجملة، لم تكون بت ذلك محدثة برابط المسارات المبعدة، حسب فرسينة على تكران النظاء بالمحافر عاض.

و غير من ملبين الطريقة المعترجة على الثلاثة الشكان المؤتلفة النقاد العوى المدرابطة دلية النامج في حملت موشرات الاعتمادية. والل من المسلب المطلق حيث أن الطريقة المفترجة لعنت على الحالات المحتملة المسار، والنبي للمنصر فعل.

ABSTRACT :

This paper introduces a proposed technique to calculate reliability indices of interconnected power systems. The technique is based upon the sequential path supplementation, state space methods and power flow computations. The aspects of component outage reliability data, operating constraints and interconnected power system configurations are taken into considerations. The general steps of the method are : preparation of component reliability data, constructing the reliability data for each subsystem according to the connection of units and uses, enumerating possible operating paths and formulate path connection matrix, and then state transition matrix according to assumed failure criteria.

The application of the proposed algorithm on three different interconnected power systems, shows accurate and valuable results. Also, it reduces the mathematical calculations, because of using path word instead of component word when defining the power system state connection matrix and using network flow to define the condition of each state.

The proposed algorithm is useful in case of planning field, when comparing different plans or alternative designs. It is also valuable for operating engineers when they decide to add thes between substations, and it helps them to compare between the location of ties and associated increase in reliability indices.

KEY WORDS:

Reliability, state space, topology, sequential path supplementation, and network flow.

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1- INTRODUCTION :

Two or more power subsystems are often connected via tie lines to form an inter connected system in order to improve the system reliability and economical benefits.

It was proposed in [1] to use network flow to investigate the load flow calculations with network flow ealculations. The substitution is deemed to be a kind of permissible approximation in reliability evaluations and the failure criterion is not taken into considerations, although, the capacity limit and the control over the network flow are considered. However, only the probability indices could be calculated, while no frequency index was touched upon.

Wang Xifan and Q. Sun [2] proposed an "stifting method" algorithm based (poit but combination which reduces the number of network flows that must be calcouted for the interconnected power system reliability evaluations, the involved sources (sobs) stems) are inulti-state components and the ties are dual state components. All the different state combinations of these components comprise the basic even space under investigation. For the time being the multi-state components are also treated as dual-state components (connection and disconnection), the sifting of network configuration states starts with sequentially supplementing paths.

There are many methods to find minimum paths. The path enumeratic method presented in [3] is a simple and direct one. However, the sparsity of the component path conjugate matrices is not taken into consideration and therefore it is not very suitable for large seale load flow system calculations. The sparse matrix should be condensed for reliability evaluation in order to reduce the storage space and increase the calculation efficiency[4-7].

At present, there are two methods for interconnected system reliability calculations. One is the probability array method [8] and the other is the equivalent supporting unit inethod [9-10].

2- PROPOSED METHOD :

In this paper the interconnected power system reliability indices can be calculated depending upon the basic reliability data of each component and the network structure.

The general steps of the proposed method are :

- Tabulate the reliability i.u.a for each component (Failure rate and average outage rate time per failure).
- [2] Calculate the reliability indices of each subsystem according to its component connections and component reliability indices.
- [3] Calculate the reliability indices of the lines by using of the components failure rate and down time per failure.
- [4] Use cut/set theory to enumerate main paths and path connections matrix.
- [5] By the use of component outage and repair rates, calculate path reliability indices.
- [6] Consider the first possible path P₁ and calculate the corresponding component set involved E₁ and path space set. After this step supplement the second path P₂ and calculate the space set, path set, and not supplemented path set.
- [7] Repeat the steps 1,....6 of possible supplemented paths P_3 , P_4 ,, P_n .
 - From steps 5, 6 & 7 determine the possible configuration path states.
 - Perform the state-transition matrix [A] to obtain the probabilities and frequencies of the different possible configuration states.
 - Combine failure states set prohabilities to get the overall interconnected power system failure and success probabilities and frequencies according to the assumed failure criterion and operating constraints.

3- CASE STUDY :

Three configurations of generation-interconnected power systems are illustrated in Fig. (1-a, b, c).

Fig. (1-a) 3-single subsystems without any interconnecting links, while Fig. (1-b) is supported by a link " L_4 " to the buses B₁ and B₂, also Fig. (1-c) is supported by L_5 to the B₂ with B₃.

The proposed technique is applied on three cases to calculate reliability indices probability, frequency and mean duration of failure, P_F , Γ_F and T_F in order to illustrating th variations of these values according to the addition of links L_4 or L_5 .

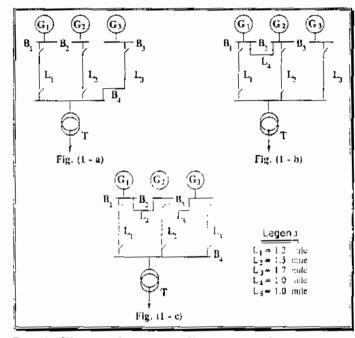


Fig. (I) : Three configurations of interconnected puwer systems

Considering the power system without any additional interconnecting links, the only paths are P_1 , P_2 and P_3 but when the link "L₄" is added, two paths are created P_6 & P-Also when the link L₅ is added, another two main paths are created P_6 and P_7 . The ail minimum paths P_1 through P_7 are shown in the following compouent path congate matrix., table (1).

The first step is to calculate path-reliability indices, based on the components failure outage rate and their connections.

Consider, the path " P_1 " it consists of substation G₁, 1.2 mile transmission line, two medium voltage circuit breakers, bus circuit breaker and transformer F. By use of the failure outage data shown in tab (2), and the connection of these components to form P_1 , the path failure rate is given by

path Component	P1	P2	P3	P4	P ₅	P ₆	P ₇
G1	1	į 11	0		0	0	0
G2	0	1	0	0	1	1	0
<u>G3</u>	0	0	1	0	0	0	l i
LI	1	0	0	0	j i	0	0
L2	0	1	0]		0	1
L3	0	0	l	0		1	0
L.4				1	1	- 0	0
L.5		,				I	1
T	1	į I	1	1	1	1	1

Table (1) : Component path congate matrix.

$$\lambda_{P_i} = \sum_{i=1}^{1c_1} \lambda_i$$

Where ·

 λ_1 = is the failure rate of component I in the path P

 $nc_1 = No.$ of series components forming path P_1 .

$$= \lambda_s - L_1 \times \lambda_B - 2\lambda_{CB} \pm \lambda_{bus} \pm \lambda_t = 0.0005 \pm 1.20 \times 0.007 \pm 2 \times 0.002 \pm 0.002 \pm 0.004$$

= 0.0945 f/yr

and the average outage duration per failure is given by

$$r_{P_1} = \frac{1}{\lambda_{P_1}} (r_1 \lambda_1 + r_2 \lambda_2 + r_1 \lambda_3 \dots + r_{P_n} \lambda_{P_n})$$

= $\frac{1}{0.0945} (0.0005 \times 0.0001 \times 3 + 1.20 \times 0.007 \times 3 + 2 \times 0.002 \times 3.50 + 0.002 \times 3.50)$

:

= 3.1164 hr/failure

No.	Component	Failure rate λ _t f/year	Repair time r _i hr/f
1	Supply (subsystem).	0.0005	3.00
2	46 kv - 11 kv bus.	0.0002	1.20
3	46 kv - 11 kv disconnecting switch.	0.0001	1.50
4	46 kv - 13.8 kv Trans.	0.0040	5.00
5	13.8 kv C.B.	0.0100	3.50
6	13.8 kv (enclosed).	0.0020	1.20
7	13.8 kv feeder breaker.	0.0020	3.50
3	1.8 kv feeder.	0.0150/mile	10.0
9	13.8 kv bus C.B.	0.0020	3.50
10	11 kv feeder.	0.0700/mile	3.00

Table (2) : component outage rate and repair time [6]

The reliability indices of all paths are calculated and tabulated in table (3).

Table (3) : Calculated path reliability indices.

Reliability Path	λ _{ρί}	r _μ	ĻЦри
P ₁	0.0945	3.1164	0.32088
P2	0 1155	3.0952	0.33227
P3	0.1295	3.0849	0 32415
P	0.1895	3.0686	0.32588
P ₅	0.1685	3.0771	0.32498
P	0.2055	5.0680	0.32594
P7	0.1895	3.0686	0.32588

The second step is to apply sequential path supplementing method to obtain all possible states of the considered interconnected power system as follow :

[1] Consider the first possible path "P₁" and calculate component set "E₁" and path space set "S₁" with respect to Fig. (1-a)

 $E_t \in \{G_1, L_1\}$

i.e. when path P_1 is supplemented, the component set is $E_1.$ This means that $G_1 \ll$

 L_i are in operation and the path set is S_1 = $\{P_i\}$ and commutative state

 $S_1^*=\{S_{01},P_1\}$

Where :

 $S_{01} = \overline{P_1}$, is the not yet supplemented path set

[2] When the path P₂ is supplemented, the component set and complement elemental set are :

 $E_2 = \{G_2, L_2\}$

 $E_2^{\, \bullet}: Commutative component set when <math display="inline">P_2$ is supplemented.

$$= \mathbf{E}_1 \cup \mathbf{E}_2$$

 $= \{G_1, L_1\} \bigcup \{G_2, L_2\}$

 $= \{ G_1, G_2, L_1, L_2 \}$

 $\overline{E_2}$: Complemented element set when P₂ is supplemented

 $= E_{2}^{*} - E_{2}$

 $= \{G_1, L_i\}$

each of $G_1 \& L_1$ has two states. Table (3) illustrates the states when P_2 is added.

Table (3) : Interconnected Power Systems states set when P2 is added.

State	E2		E;	2	Results
1	$G_2 \mid L$.2	G	L	$P_1 \bigcap P_2$
2	G ₂ i L	2	\overline{G}_1	<u>L</u> ,	P_2
3	G ₂ L	2	<u>G</u>	L	P_2
4	G ₂ L	2	Gı	L	P2

From table(3),

 $S_2 = \{P_2 \cup P_1 \cap P_2\}$ and $S_2^* = S_1^* \cup S_2$

$$= \{S_{02} \cup P_1\} \cup \{P_2 \cup P_1 \cap P_2\}$$

 $= \{ S_{01} , P_1 , P_2 , P_1 \cap P_2 \}$

Where :

So₂ is the not yet supplemented path set = $\overline{P_1} \cap \overline{P_2}$

[3] . When path P_3 is added, E_3 and S_3^{\ast} are :-

$$E_3 = \{G_3 \ , \ L_3\}$$
$$E_3^* = E_2^* \bigcup E_3 = \{G_1 \ , \ G_2 \ , \ G_3 \ , \ L_1 \ , \ L_2 \ , \ L_3\}$$

$$\begin{split} \overline{E_3} &= E_3^* - E_3 = \{G_1 \ , \ G_2 \ , \ L_1 \ . \ L_2\} \\ S_3 &= \{P_3, \ P_1 \cap P_3, \ P_2 \cap P_3, \ P_1 \cap P_2 \cap P_3\} \\ S_3^* &= S_2^* \cup S_3 \\ &= \{S_{o2}, P_1, P_2, \ P_1 \cap P_2\} \cup \{P_3, \ P_1 \cap P_3, \ P_2 \cap P_3, \ P_1 \cap P_2 \cap P_3\} \\ &= \{S_{o3}, P_1, P_2, \ P_1 \cap P_2 \ . \ P_3, \ P_1 \cap P_3, \ P_2 \cap P_3, \ P_1 \cap P_2 \cap P_3\} \end{split}$$

Where :

 $S_{35} = \overline{P_1} \cap \overline{P_2} \cap \overline{P_3}$

[4] When path P_4 is added, its elements are E_4 and $S_4^{\boldsymbol{\ast}}$ are :-

$$\begin{split} & \mathsf{E}_4 = \{\mathsf{G}_1, \mathsf{L}_4, \mathsf{L}_5\} \\ & \mathsf{E}_4^* = \mathsf{E}_3^* \bigcup \mathsf{E}_3 \\ & = \{\mathsf{G}_1^-, \mathsf{G}_2^-, \mathsf{G}_3^-, \mathsf{L}_1^-, \mathsf{L}_2^-, \mathsf{L}_3\} \bigcup \{\mathsf{G}_1, \mathsf{L}_4, \mathsf{L}_2\} \\ & = \{\mathsf{G}_1^-, \mathsf{G}_2^-, \mathsf{G}_3^-, \mathsf{L}_1^-, \mathsf{L}_2^-, \mathsf{L}_3^-, \mathsf{L}_4\} \\ & \overline{\mathsf{E}_4^-} = \mathsf{E}_4^* - \mathsf{E}_4 = \{\mathsf{G}_2^-, \mathsf{G}_3^-, \mathsf{L}_4^-, \mathsf{L}_3\} \\ & \mathsf{S}_4 = \{\mathsf{P}_4^-, \mathsf{P}_3^- \bigcap \mathsf{P}_4^-, \mathsf{P}_2^- \bigcap \mathsf{P}_4^-, \mathsf{P}_3^- \bigcap \mathsf{P}_4^-, \mathsf{P}_1^- \bigcap \mathsf{P}_2^- \bigcap \mathsf{P}_3^- \bigcap \mathsf{P}_4^-, \mathsf{P}_3^- \bigcap \mathsf{P}_4^-, \mathsf{P}_1^- \bigcap \mathsf{P}_2^- \bigcap \mathsf{P}_3^- \bigcap \mathsf{P}_4^-, \mathsf{P}_3^- \bigcap$$

Where :

 $So_4 = \overline{\overline{P_1}} \cap \overline{\overline{P_2}} \cap \overline{\overline{P_3}} \cap \overline{\overline{P_4}}$

[5] When path P_3 is supplemented. E_5 and S_5^* are :-

 $E_{5} = \{G_{2}, L_{4}, L_{1}\}$ $E_{5}^{*} = E_{4}^{*} \bigcup E_{5} = \{G_{1} \cup G_{2} \cup G_{3} \cup L_{1} \cup L_{2} \cup L_{3} \cup L_{4}\}$ $\overline{E_{5}} = \{E_{4}^{*} \bigcup E_{5} = \{G_{1} \cup G_{3} \cup L_{2} \cup L_{3}\}$ $S_{5} = \{P_{5}, P_{1} \cap P_{5}, i^{2}_{2} \cap P_{5}, P_{2} \cap P_{3} \cap P_{5}, P_{1} \cap P_{3} \cap P_{5}, P_{1} \cap P_{2} \cap P_{4} \cap P_{5}, P_{1} \cap P_{2} \cap P_{3} \cap P_{4} \cap P_{5}\}$ $P_{1} \cap P_{2} \cap P_{4} \cap P_{5}, P_{1} \cap P_{2} \cap P_{3} \cap P_{4} \cap P_{5}\}$ $S_{5}^{*} = S_{4}^{*} \bigcup S_{5}$ $= \{S_{ab}, P_{1}, P_{2}, P_{3}, P_{4}, P_{5}, P_{1} \cap P_{2}, P_{1} \cap P_{3}, P_{2} \cap P_{3}, P_{1} \cap P_{4}, P_{2} \cap P_{4}, P_{3} \cap P_{4}, P_{1} \cap P_{5}, P_{2} \cap P_{5}, P_{1} \cap P_{2} \cap P_{3}, P_{1} \cap P_{4}, P_{2} \cap P_{4} \cap P_{5} \cap P_{4} \cap P_{4}, P_{2} \cap P_{3} \cap P_{4}, P_{5} \cap P_{5}, P_{1} \cap P_{2} \cap P_{3} \cap P_{5}, P_{1} \cap P_{5} \cap P_{5} \cap P_{4} \cap P_{5} \cap$

The number of components are seven, i.e. the base events are $2^7 = 128$ states. These states are reduced to S_5^* states = 21 state that should be calculated to get probability. frequency and duration for each state of the considered interconnected power system.

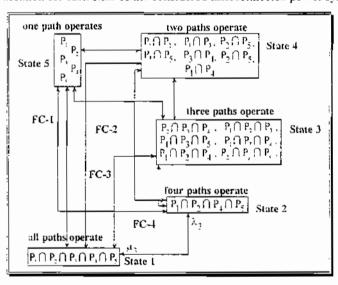


Fig. (2): State-space of paths-sets after merging states.

The transitions rates between states are shown in the transition matrix [A] given below.

The interconnected power system that represented in Fig (1-a) is described by its states and by the possible transitions between them as seen in Fig (2). The main advantage of the state-space approach is that in most cases a Markov model can be applied to describe the process of the system travelling through the states.

The major application of the state-space approach is the reliability calculation of repairable systems, that is, of system where all the components are repairable.

If only the long term values of the state probability $P_1(t)$ are of interest, they can be obtained by solving the set of linear equations. [8].

$$[P][A] = [O]$$

Where :

[P] = row - vector contains state probabilities.

[O] = row - vector contains zeros.

[A] = transition intensity matrix.

The solution for P requires an additional equation which is provided by the fact that the summation of probabilities of all states equals to 1, i.e.

$$\sum_{i=1}^{n} P_i = 1$$

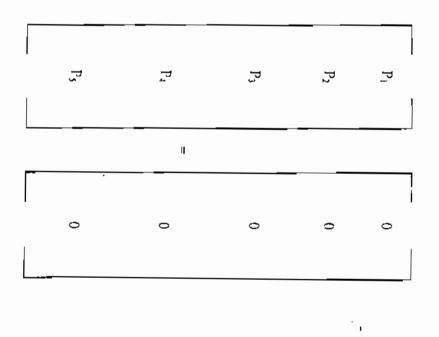
From state	5.991	0.1295	1.718	3.446	2,79	P _l]	0
2	0.32415	-7.3783	3.28325	3.7709	1.704	P ₂		0
3	4.23528	4.23136	-68.3306	23.192	36.672	P.	1	0
+	7.81839	6.58058	32.4641	-6.117	16.3486	P.₁	=	0
5	6.51264	3.91203	25.2358	24.2966	-59.957	P ₅	ļ	0

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4121 + 4122 +5123 + 4124 +4123	4µ ₁ +1µ ₇ +5µ ₃ +5µ ₄ +6µ ₃	3µ1 + 3µ2 +µ3 + 2µ1 +4µ3	μ	$ = \begin{bmatrix} 103_1 + 113_2 \\ + 113_3 + 113_4 \\ + 142_5 \end{bmatrix} $
3µ1 + 3µ2 43µ1 + 3µ2	د اله 11/2 + 11/2 11/2 + 11/2	3н, + 3н, + 5н, + 4н, + 5).,	$\left. \begin{array}{c} 9\lambda_{1} + 9\lambda_{2} \\ + 11\lambda_{4} + 13\lambda_{5} \\ + 6\mu_{3} \end{array} \right\}$	2 ^ب
22,1 + 23,2 +2,3 + 33,4 +43,5 + 1611 +1611,2 + 2011 +1211,4 + 8115	87, 1 + 82, 2 + 32, 1 + 82, 2 + 82, 5 + 163, 1 + 164, 2 + 254, 3 + 154, 4 + 154, 5 + 154, 4 + 154, 5	$\begin{array}{c} 322, {}_{1}+32, {}_{2}\\+501, {}_{3}+27, {}_{4}\\+202, {}_{5}+151, {}_{1}\\+351, {}_{7}+51, {}_{3}\\+171, {}_{4}+201, {}_{5}\end{array}$	2). ₁ + 2). ₂ +3). ₄ + 42. ₅ +5µ ₃	3 22, ₁ + 3), ₂ +3, ₃ + 22, ₄ +42, ₃
$\begin{array}{l} 42{1}+42{7}\\ +52{2}+52{4}\\ +62{5}+1611_{1}\\ +1611_{2}+1211_{1}\\ +1611_{2}+1211_{1}\\ +1211_{4}+811_{5}\\ \end{array}$	$\begin{cases} 742_1 + 743_2 \\ +182_3 + 213_4 \\ +182_3 + 28\mu_1 \\ +28\mu_2 + 35\mu_3 \\ +27\mu_4 + 30\mu_5 \end{cases}$	$\begin{array}{l} {{5}_{11}}_{7}+{{8}_{11}}_{2}\\ +{{3}_{11}}_{3}+{{9}_{12}}_{4}\\ -{{8}_{15}}_{5}+{{16}_{13}}_{1}\\ +{{16}_{12}}_{2}+{{25}_{13}}_{3}\\ +{{15}_{12}}_{4}+{{12}_{25}}_{3}\end{array}$	42. ₁ + 42. ₂ +52. ₄ + 62. ₅ +3(1 ₃	4 4), + 4), +5), + 5), +6), 5
$\begin{cases} 62_1 + 62_7 \\ + 62_3 + 82_4 \\ + 39_{112} + 39_{112} \\ + 39_{112} + 36_{113} \\ + 31_{114} + 22_{115} \end{cases}$	$\begin{array}{l} 4\mu_{1}+4\mu_{2}\\ +5\mu_{3}+5\mu_{4}\\ +6\mu_{3}+16\lambda_{1}\\ +16\lambda_{2}+12\lambda_{1}\\ +16\lambda_{2}+12\lambda_{1}\\ +12\lambda_{4}+8\lambda_{5} \end{array}$	2114 + 2112 +113 + 3114 +4115 + 1621 +1632 + 2003 +1234 + 825)), ₁ +)), ₂ +3), ₄ +)), ₃	5 4), ₁ + 4), ₂ +4), ₃ + 4), ₄ +4), ₅



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H, EL-DESOUKI

 $\sum_{i=1}^{5} P_i = 1.0$ d = 6.8254 E005 d_1 = 1.6482 E005 d_2 = 1.5376 E005 P_1 = 0.2415 P_3 = 0.1808 P_5 = 0.1638

After solving the state-space transition equation we have to define the failure criterion and perform the system path states according to such a failure criterion, then calculate reliability indices as follow :

combine all path states in subset W and also states in f subset.

Then P_1 = probability of failure

F = frequency of failure

i.e. the system failure frequency is the sum of the system failure state probabilities, each multiplied by the rate of transitions from the respective state to the success domain [8].

 T_F = mean duration of stays in combined state F, therefore

If we choose the failure criterion as, "the system is considered failed, if only one path is in operation or less. (FC-1)", e.g.

P5 only is in failure domain

P₁, P₂, P₃, and P₄ are in working domain

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$$P_{F} = \sum_{i \in F} P_{i} = P_{5} = 0.1638$$

$$F_{F} = \sum_{i \in F} P_{i} - \sum_{j \in W} \lambda_{ij}$$

$$= 0.1638 \ge 6.51264 - 0.1638 \ge 3.91203$$

$$= 0.1638 \ge 25.2358 + 0.1638 \ge 25.2366 = 9.8209$$

$$T_{F} = \frac{P_{F}}{P_{F}} = 0.01667$$

If, failure criterion is chosen as the system is considered failed if two or less paths are only working (FC-2).

$$\begin{split} P_F &= \sum_{i \in F} P_i = P_2 + P_4 = 0.1638 \pm 0.2253 = 0.3891 \\ F_F &= (0.1638) \times (25.235 - 6.512 \pm 3.912) = 0.3891 (7.818 \pm 6.58038) \pm 32.4641 \\ &= 0.1638 \times 35.6604 \pm 0.3891 \times 46.862 \pm 5.84117 \pm 18.23 \pm 24.075 \\ T_F &= \frac{P_F}{F_F} = \frac{0.3891}{24.075} = 0.01616 \end{split}$$

If the failure criterion is chosen as the system considered failed when three paths or less are working, therefore (FC-3).

$$\begin{split} P_{F} &= \sum_{i \in F} P_{i} = P_{5} + P_{4} + P_{3} \\ &= 0.1638 \pm 0.1886 - 0.1808 = 0.5332 \\ F_{F} &= \sum_{i \in F} P_{i} - \sum_{j \in W} \lambda_{ij} \\ &= 0.1638 (6.51264 + 3.9120) \pm 0.1886 (7.8)839 \pm 6.5808) \pm 0.1808 (4.23528 \pm 4.2313) \\ &= 1.7075 \pm 2.71508 \pm 1.5307 \pm 5.95328 \\ F_{F} &= \frac{P_{F}}{F_{F}} = \frac{0.5332}{5.95328} = 0.0895 \end{split}$$

If (FC4) the system is considered failed when 4 paths or less are working (FC-4).

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E. 27

$$P_{F} = \sum_{i \in F} P_{i} = P_{5} + P_{4} + P_{3} + P_{2}$$

= 0.163
8 +0.1886 + 0.1808 + 0.2253 = 0.7585
$$F_{F} = \sum_{i \in F} P_{i} \sum_{j \in W} \lambda_{ij} = 3.38$$
$$T_{F} = \frac{P_{F}}{F_{F}} = \frac{0.7585}{3.38} = 0.2244$$

– Table (4) Fault	criterion ((FC) versus	reliability	indices

	FC	PF	F	Тŗ
ĺ	1	0.1638	9.82090	0.01667
	2	0.3891	24 0750	0.0161
İ	3	0.5332	5.95328	0.0895
	4	0.7585	3.38000	0.22440

With the same way, repeat the calculations, when link Ls is added, and the paths $P_n \& P_7$ are supplemented, the following reliability indiced are calculated in Fig_(s) (3-a, b and c).

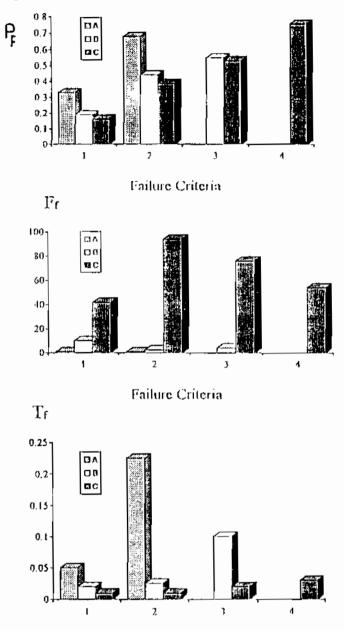
CONCLUSIONS

This paper introduces an accurate algorithm to calculate the reliability indices of interconnected power systems based on state space inethod, the sequential path supplementation and power flow computations. The algorithm takes into account outage reliability data, operation constrains and system configuration.

The proposed algorithm reduces the mathematical calculation because of nsing path word instead of component word.

The porposed algorithm employed state space method to calculate reliability indices of an interconnected power system at different failure criteria as seen from figures.

The proposed technique is useful for planning engineer to check design alternatives according to the desired degree of reliability indices.



Failure Criteria Fig.(3-a, b, and c):Reliability indices for the chosen three interconnected power systems.

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